Package 'gllvm'

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Type Package

Title Generalized Linear Latent Variable Models

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Description Analysis of multivariate data using generalized linear latent variable models (gllvm). Estimation is performed using either the Laplace method, variational approximations, or extended variational approximations, implemented via TMB (Kristensen et al. (2016), [<doi:10.18637/jss.v070.i05>](https://doi.org/10.18637/jss.v070.i05)).

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Imports MASS, Matrix, statmod, fishMod, mgcv, alabama, nloptr, methods

Depends R $(>= 3.5.0)$, TMB

Encoding UTF-8

LazyData true

LinkingTo TMB, RcppEigen

RoxygenNote 7.3.2

NeedsCompilation yes

URL <https://jenniniku.github.io/gllvm/>,

<https://github.com/JenniNiku/gllvm>

BugReports <https://github.com/JenniNiku/gllvm/issues>

Suggests knitr, rmarkdown, testthat, gclus, corrplot, lattice, mvabund, ape, parallel

VignetteBuilder knitr

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AICc *Corrected Akaike information criterion and number of observations*

Description

Calculates corrected Akaike information criterion for small sample sizes, and extracts number of observations.

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Usage

```
## S3 method for class 'gllvm'
AICc(object, ...)
## S3 method for class 'gllvm'
nobs(object, ...)
```
Arguments

Author(s)

Jenni Niku, Bert van der Veen

anova.gllvm *Analysis Of Deviance for gllvm*

Description

Computes an analysis of deviance table for two generalized linear latent variable model fits.

Usage

S3 method for class 'gllvm' anova(object, ...)

Arguments

Details

Computes likelihood-ratio test for two or more gllvm models. Test results makes sense only for nested models. Notice also that this test is not designed for testing models which have degrees of freedom difference larger than 20. For such models the P-value should be treated as very approximate.

Author(s)

Jenni Niku

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Examples

```
## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- antTraits$abund
X <- antTraits$env
TR <- antTraits$traits
# Fit gllvm model
fit1 <- gllvm(y, X, TR, formula = \sim Bare.ground + Shrub.cover, family = poisson())
fit2 <- gllvm(y, X, TR, formula = ~Bare.ground + Shrub.cover +(Bare.ground + Shrub.cover) : Webers.length, family = poisson())
# Test if the model with fourth corner interaction terms is significantly
# better using likelihood-ratio test:
anova(fit1, fit2)
```
beetle *ground beetle assemblages*

Description

These data describe the abundance of ground beetle assemblages from the Scottish landscape alongside with the environmental data and species traits. The data includes abundances of 68 species of ground beetle species.

Usage

data(beetle)

Format

Y A data frame of species composition of the ground-beetle assemblages.

X A data frame of study design variables and environmental data.

SiteCode Unique id for sample.

Landuse Land use type.

Grid Grid where sample were collected.

Area sampling area in Scotland.

Samplingyear Sampling year

Texture 1, peat; 2, peaty loam; 3, loamy sand; 4, sandy loam; 5, sandy clay loam; 6, sandy silt loam; 7, silty clay

Org organic content (% loss of organic content on ignition), log10 transformed pH soil pH

AvailP available P (mg/L), log10 transformed

AvailK available K (mg/ L)

Moist percentage moisture content

Bare percentage cover estimate of bare ground in 11 1-m2 quadrats, arcsine transformed

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Litter percentage cover estimate of litter cover in 11 1-m2 quadrats, log10 transformed Bryophyte percentage cover estimate of bryophytes in 11 1-m2 quadrats, arcsine transformed Plants.m2 number of reproductive stems (flowering or fruiting) in 11 1-m2 quadrats Canopy height canopy height (cm) in 11 1-m2 quadrats Stemdensity number of stems (ramets) in 100 cm2 Biom_l5 dry mass (g) of biomass 0–5 cm from soil surface in 400 cm2 Biom_m5 dry mass (g) of biomass .5 cm from soil surface in 400 cm2, log10 transformed Reprobiom biomass of reproductive parts (flowers and fruits) in 100 cm2, log10 transformed Elevation elevation in m a.s.l. Management management intensity index (see Materials and Methods: Environmental data) TR A data frame of the species names and species morphological and life trait characteristics. SPECIES Species names. CODE Species codes corresponding species names in abundance matrix LYW diameter of the eye, measured from above LAL length of the antenna LPW maximum width of the pronotum LPH maximum depth ("vaulting") of the pronotum LEW maximum width of the elytra LFL length of the metafemur (with the articulation segments), from the coxa to the apex LTR length of the metatrochanter LRL length of the metatarsi LFW maximum width of the metafemur

- LTL total length (length of the pronotum in the medial line plus length of the elytra, from the medial ridge of the scutellum to the apex)
- CLG color of the legs (1, pale; 2, black; 3, metallic)
- CLB color of the body (1, pale; 2, black; 3, metallic)
- WIN wing development (1, apterous or brachypterous; 2, dimorphic; 3, macropterous)
- PRS shape of the pronotum (1, oval; 2, cordiform; 3, trapezoidal)
- OVE overwintering (1, only adults; 2, adults and larvae or only larvae)
- FOA food of the adult (1, mostly Collembola; 2, generalist predator; 3, mostly plant material)
- DAY daily activity $(1, \text{ only diurnal}; 2, \text{ nocturnal})$
- BRE breeding season (1, spring; 2, summer; 3, autumn or winter)
- EME main period of emergence of the adults (1, spring; 2, summer; 3, autumn)
- ACT main period of adult activity $(1,$ autumn; 2, summer only)

Details

Beetles were sampled with two parallel rows of nine pitfall traps (diameter 7.5 cm, 2 m apart) at each site, starting in early May.

Detailed description of the data available in the reference and in the Ecological Archives E082-012.

References

Ignacio Ribera, Sylvain Dolédec, Iain S. Downie, and Garth N. Foster. 2001. Effect of land disturbance and stress on species traits of ground beetle assemblages. Ecology 82:1112-1129.

Examples

```
## Not run:
data(beetle)
# Abundance matrix
Y <- beetle$Y
# Environmental data
X <- beetle$X
# Species traits
TR <- beetle$TR
## End(Not run)
```
coefplot.gllvm *Plot covariate coefficients and confidence intervals*

Description

Plots covariate coefficients and their confidence intervals.

Usage

```
## S3 method for class 'gllvm'
coefplot(
  object,
 y.label = TRUE,
 which.Xcoef = NULL,
 order = TRUE,
  cex.ylab = 0.5,
  cex.xlab = 1.3,
 mfrow = NULL,
 mar = c(4, 6, 2, 1),xlim.list = NULL,
  ...
\mathcal{L}
```
Arguments

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Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>, Francis K.C. Hui, Sara Taskinen, Bert van der Veen

Examples

```
# Extract subset of the microbial data to be used as an example
data(microbialdata)
X <- microbialdata$Xenv
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]
fit <- gllvm(y, X, formula = \sim pH + Phosp, family = poisson())
coefplot(fit)
## Not run:
# Fit gllvm model with environmental covariances and reduced rank
fitRR <- gllvm(y = y, X = X, num.RR = 2, family = "negative.binomial")coefplot(fitRR)
```

```
## End(Not run)
```
confint.gllvm *Confidence intervals for model parameters*

Description

Computes confidence intervals for parameters in a fitted gllvm model.

Usage

```
## S3 method for class 'gllvm'
confint(object, parm = NULL, level = 0.95, ...)
```
Arguments

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>

Examples

```
## Not run:
## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- as.matrix(antTraits$env[,1:2])
# Fit gllvm model
fit \le gllvm(y = y, X = X, family = poisson())
# 95 % confidence intervals for coefficients of X variables
confint(fit, level = 0.95, parm = "Xcoef")
```
End(Not run)

ecoCoefs *Functions to extract ecological quantities of the latent variables from a GLLVM, if species are a quadratic function of the latent variables.*

Description

Extracts species optima and tolerances, potentially with standard errors (derived with the Delta method).

Usage

S3 method for class 'gllvm' optima(object, sd.errors = TRUE, ...)

S3 method for class 'gllvm' tolerances(object, sd.errors = TRUE, ...)

Arguments

Details

Currently no separate method for calculating species maxima or gradient length are implemented. Gradient length can be inferred from the standard deviation of the latent variables, which is reported by [summary.gllvm](#page-51-1).

Author(s)

Bert van der Veen

Description

Extended dataset of counts of hunting spiders in a dune area in the Netherlands, measured at 100 pitfall traps.

Usage

data(eSpider)

Format

abund A data frame with abundances of 12 hunting spider species measured at 100 sites.

X A matrix of 26 predictor variables at 28 of the 100 sites.

nonNA An vector of indices indicating at which sites the predictor variables were measured.

Details

Counts of hunting spiders in a dune area in the Netherlands, measured with 100 different pitfall traps. This dataset was published with permission from the CANOCO FORTRAN package (version 4 or higher) example datasets.

Species names have been abbreviated, corresponding to: Alopacce = *Alopecosa accentuata*, Alopcune = *Alopecosa cuneata*, Alopfabr = *Alopecosa fabrilis*, Arctlute = *Arctosa lutetiana*, Arctperi = *Arctosa perita*, Auloalbi = *Aulonia albimana*, Pardlugu = *Pardosa lugubris*, Pardmont = *Pardosa monticola*, Pardnigr = *Pardosa nigriceps*, Pardpull = *Pardosa pullata*, Trocterr = *Trochosa terricola*, Zoraspin = *Zora spinimana*.

Environmental measurements were taken at 28 of the 100 pitfall traps measuring soil properties(Water content: "conWate", Humus content: "conHumu", Acidity (pH-KCl)), vegetation ("Bare-Sand": percentage bare sand, "FallTwig": cover on the ground by leaves and twigs, "CovMoss": cover by mosses and lichens, "CovHerb": cover by the herb and grass layer (including maximum height, minimum height, "CovCala": cover by *Calamagrostis epigejos*, cover by *Carex arenaria*, "CovFest": cover by *Festuca ovina*, "CovCory": cover by *Corynephorus canescens*, "CovUrti": cover by *Urtica dioica*, "CovMoeh": cover by *Moehringia trinervia*), "CovShru": cover by the shrub layer (minimum and maximum height, and "CovLigu": cover by *Ligustrum vulgare*), "Cov-Tree": cover by the tree layer (including maximum height, cover by *Populus tremula* or *Crataegus monogyna*)), and light properties ("LuxGrey": lux at equal grey sky, "LuxSun": lux at cloudless sky, "LuxRef": lux by reflection of the soil surface)

The original publication of Canonical Correspondence Analysis used standardized versions of the log and log1p transformed predictors "ConWate", "BareSand", "FallTwig", "CovMoss", "Cov-Herb", "LuxRef".

References

ter Braak, C.J.F. and Smilauer, P. (1998). CANOCO reference manual and user's guide to CANOCO for Windows: software for canonical community ordination (version 4). Microcomputer Power, New York, New York, USA. ter Braak, C.J.F. (1986). Canonical correspondence analysis: a new eigenvector technique for multivariate direct gradient analysis. Ecology, 67(5), 1167-1179. Van der Aart, P. J. M. and Smeenk-Enserink, N. (1975). Correlations between distributions of hunting spiders (*Lycosidae*, *Ctenidae*) and environmental characteristics in a dune area. Netherlands Journal of Zoology, 25(1), 1-45.

Examples

```
data(eSpider)
Y <- eSpider$abund[eSpider$nonNA, ]
X <- eSpider$X[eSpider$nonNA, ]
model \leq glllvm(y = Y, X = X,lv.formula = ~log(ConWate) + log1p(BareSand) + log1p(FallTwig) +
    log1p(CovMoss) + log1p(CovHerb) + log(LuxRef),
    num.RR = 2,
    family = "poisson")
```
fungi *Wood-decaying fungi data*

Description

Dataset of 1666 binary observations for 215 fungal species, in different 53 European Beech forests spread across 8 regions.

Usage

data(fungi)

Format

- Y A data frame with the presence-absences of 215 fungal species measured at 1666 logs.
- X A data frame of 8 predictor variables.

DBH.CM Diameter at breast height (cm) AVERDP Decay stage of logs on a 1-5 scale CONNECT10 Connectivity of the surrounding forest at 10km scale TEMPR Annual temperature range in degrees Celsius PRECIP Annual precipitation in milimeters log.Area ln(area in hectares) of reserves REGION Site groups identified based on spatial clusters RESERVE Site name

TR A data frame of the traits used in Abrego et al. (2022).

tree The phylogenetic tree.

C The phylogenetic covariance matrix.

dist The phylogenetic distance matrix.

Details

Observations of fungi species inhabiting European beech logs, in different European countries. The countries have been grouped in eight different regions. Logs were surveyed in 53 different reserves (or sites). Included environment and trait covariates are limited to those analyzed in the original article, though more are available in the published dataset on datadryad.org.

References

Abrego, N., Bässler, C., Christensen, M., and Heilmann-Clausen, J. (2022). Traits and phylogenies modulate the environmental responses of wood-inhabiting fungal communities across spatial scales. Journal of Ecology, 110(4), 784-798.

Abrego, N., Bässler, C., Christensen, M., and Heilmann-Clausen, J. (2022). Data and code from: Traits and phylogenies modulate the environmental responses of wood-inhabiting fungal communities across spatial scales [Dataset]. Dryad. https://doi.org/10.5061/dryad.t76hdr82r

Examples

```
## Not run:
data(fungi)
Y <- fungi$Y
X < - fungi$X
TR <- fungi$TR
C <- fungi$C
dist <- fungi$dist
#model \leq gllvm(y = Y, X = cbind(int = 1, X), TR = TR,
# formula = ~DBH.CM + AVERDP + I(AVERDP^2) + CONNECT10 + TEMPR + PRECIP +
# log.AREA + (DBH.CM + AVERDP + I(AVERDP^2) + CONNECT10 + TEMPR + PRECIP +
# log.AREA):(FB.type + Sp.log.vol.µ3 + Lifestyle),
# family = "binomial", num.lv = 0, studyDesign = X[,c("REGION", "RESERVE")],
# colMat = list(C, dist = dist), colMat.rho.struct = "term",
# row.eff = ~(1 | REGION/RESERVE), sd.errors = FALSE,
\# randomX = ~int + DBH.CM + AVERDP + I(AVERDP^2) +
# CONNECT10 + TEMPR + PRECIP + log.AREA,
# beta0com = TRUE, nn.colMat = 10, maxit = 20000)
```
End(Not run)

Description

Calculates the species environment covariance matrix for a gllvm object.

Usage

```
## S3 method for class 'gllvm'
getEnvironCov(object, x = NULL, ...)
```
Arguments

Details

Species covariance matrix due to the environment is calculated.

Covariances due to the covariates can only be calculated when random effects are included in the model, and are thus limited to reduced rank models (those including constrained and concurrent ordinations) fitted with random slopes, models fitted with random effects via the formula interface, or the fourth corner model fitted with random slopes. For full rank models with random slopes, i.e., with the formula interface or the fourth corner model, the covariances of species are formulated as:

$$
\Sigma_e = kronecker(C\rho + (1 - \rho)I_p, R),
$$

where C is a correlation matrix for the columns in the response (e.g., a Phylogenetic matrix), ρ the signal parameter, and R the covariance matrix for the random effects. Here,

$$
I = \mathit{kronecker}(I_p, x)
$$

, with x a vector of covariate values for each of the random effects, which defaults to a vector of 1s. when there are covariate-specific phylogenetic signal parameters in the model, this is instead:

 $\Sigma_e = \text{kronecker}(x'_i, I_m) * \text{bdiag}(L_k) * \text{kronecker}(\Sigma_r, I_m) * \text{bdiag}(L'_k) * \text{kronecker}(x_i, I_m),$

where $bdiag(L_k)$ is a block-diagonal lower triangular matrix, and each L_k the lower triangular matrix of the covariance matrix for each covariate.

For reduced rank models, the covariance is separately defined for the different variance structures of the canonical coefficients in the package. With LV-specific variances, we have:

$$
\Sigma_e = \Theta * S * \Theta',
$$

where Θ is the matrix of loadings, and S the (diagonal) covariance matrix for the canonical coefficients. With predictor-specific variances, we instead have:

$$
\Sigma_e = \sum_{k=1}^K \Theta(I_d * \sigma_k^2) \Theta',
$$

with I_d an identity matrix for the number of constrained and informed latent variables, and σ_k^2 the variance per predictor for the canonical coefficients. When correlations are included, we have:

```
\Sigma_e = \text{kronecker}(x_i', I_m) \text{kronecker}(\Sigma, \Theta \Theta') \text{kronecker}(x_i, I_m).
```
Expressions for the quadratic models in the package are determined similarly but not documented here for brevity.

Value

Function returns the following components:

Author(s)

Bert van der Veen

See Also

[getEnvironCor](#page-10-1) ,[getResidualCov.gllvm](#page-16-1), [getResidualCor.gllvm](#page-15-1),.

Examples

```
## Not run:
# Example with the spider dataset
data(eSpider)
y = eSpider$abund[eSpider$nonNA,]
X = eSpider$X[eSpider$nonNA,]
fit \le gllvm(y, X = scale(X), num.RR = 2,
            randomB = "P", family = "negative.binomial")
envcov <- getEnvironCov(fit)
envcov$trace.randomB
# As proportion of variance in the model
envcov$trace.randomB/sum(envcov$trace.randomB)
```
End(Not run)

getLoadings.gllvm *Extract loadings*

Description

Extract loadings (species scores) from a gllvm object.

Usage

```
## S3 method for class 'gllvm'
getLoadings(object, ...)
```
Arguments

Details

Function retrieves the loadings a.k.a. species scores for a GLLVM. For the optima of a quadratic response model, see [optima.gllvm](#page-7-1)

Description

Extract latent variables from gllvm object.

Usage

```
## S3 method for class 'gllvm'
getLV(object, type = NULL, ...)
```
Arguments

Details

Function retrieves the site scores for a GLLVM. Each type corresponds to a separate term of the model. For a GLLVM with unconstrained latent variables the default is "residual". "Residual" scores represent the error term in concurrent ordination, and are not available for constrained ordination.

For GLLVMs with informed latent variables, "conditional" returns the complete site scores, due to both fixed- and latent effects, where the latent effect is always scaled by the diagonal of the species loadings so that it can be small relative to the fixed-effects. "Conditional" here means conditional on the random-effect i.e. the residual.

Type "marginal" returns linear combination scores, i.e. the site scores only due to fixed-effects. These are available for constrained and concurrent ordination.

If both unconstrained and constrained latent variables are included in the model, type "marginal" returns linear combination scores for constrained latent variables but "residual" scores for unconstrained latent variables.

getPredictErr.gllvm *Extract prediction errors for latent variables from gllvm object*

Description

Calculates the prediction errors for latent variables and random effects for gllvm model.

Usage

```
## S3 method for class 'gllvm'
getPredictErr(object, CMSEP = TRUE, cov = FALSE, ...)
```
Arguments

Details

Calculates conditional mean squared errors for predictions. If variational approximation is used, prediction errors can be based on covariances of the variational distributions, and therefore they do not take into account the uncertainty in the estimation of (fixed) parameters.

Value

Function returns following components:

Author(s)

Francis K.C. Hui, Jenni Niku, David I. Warton

Examples

```
## Not run:
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
fit <- gllvm(y = y, family = poisson())
# prediction errors for latent variables:
getPredictErr(fit)
```
End(Not run)

getResidualCor.gllvm *Extract residual correlations from gllvm object*

Description

Calculates the residual correlation matrix for gllvm model.

Usage

```
## S3 method for class 'gllvm'
getResidualCor(object, adjust = 1, x = NULL, ...)
```
Arguments

Details

Residual correlation matrix is calculated based on the residual covariance matrix, see details from [getResidualCov.gllvm](#page-16-1).

Author(s)

Francis K.C. Hui, Jenni Niku, David I. Warton

Examples

```
#'# Extract subset of the microbial data to be used as an example
data(microbialdata)
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]fit \leq gllvm(y, family = poisson())
fit$logL
cr <- getResidualCor(fit)
cr[1:5,1:5]
## Not run:
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
fit \le gllvm(y = y, family = poisson())
# residual correlations:
cr <- getResidualCor(fit)
# Plot residual correlations:
install.packages("corrplot", "gclus")
library(corrplot)
library(gclus)
corrplot(cr[order.single(cr), order.single(cr)], diag = F,
  type = "lower", method = "square", tl.cex = 0.8, tl.srt = 45, tl.col = "red")
## End(Not run)
```
getResidualCov.gllvm *Extract residual covariance matrix from gllvm object*

Description

Calculates the residual covariance matrix for gllvm model.

Usage

```
## S3 method for class 'gllvm'
getResidualCov(object, adjust = 1, x = NULL, ...)
```
Arguments

Details

Residual covariance matrix, storing information on species co-occurrence that is not explained by the environmental variables (if included), is calculated using the matrix of latent variables loadings, that is, ΘΘ′ , and the dispersion parameter related to the distribution of choice, is applicable (e.g. in the case of negative-binomial distributed responses).

When the responses are modelled using the negative binomial distribution, the residual variances for each species must be adjusted for overdispersion. The two possible adjustment terms are $log(\phi_i+1)$ (adjust = 1) and $\psi^{(1)}(1/\phi_j)$ (adjust = 2), where $\psi^{(1)}$ is the trigamma function.

The negative binomial model can be written using different parameterizations. The residual covariance with adjust = 1 can be obtained using the lognormal-Poisson parametrization, that is,

$$
Y_{ij} \sim Poisson(\mu_{ij}\lambda_j),
$$

where $\lambda_j \sim lognormal(-\sigma^2/2, \sigma^2)$ and $\sigma^2 = log(\phi_j + 1)$ and $log(\mu_{ij}) = \eta_{ij}$. Now $E[Y_{ij}] = \mu_{ij}$ and variance $V(\mu_{ij}) = \mu_{ij} + \mu_{ij}^2(exp(\sigma^2) - 1) = \mu_{ij} + \mu_{ij}^2\phi_j$, which are the same as for the NB distribution. Therefore, on linear predictor scale, we have the variance

$$
V(log(\mu_{ij}\lambda_j)) = V(log \mu_{ij}) + V(log \lambda_j) = V(u_i'\theta_j) + \sigma^2 = \theta_j'\theta_j + log(\phi_j + 1).
$$

which leads to the residual covariance matrix $\Theta \Theta' + \Psi$, where Ψ is the diagonal matrix with $log(\phi_i + \Psi_i)$ 1) as diagonal elements ($adjust = 1$).

Or, for a GLLVM where species are a quadratic function of the latent variables, we instead have

$$
V(log(\mu_{ij}\lambda_j)) = V(log\mu_{ij}) + V(log\lambda_j) = V(u'_i\theta_j - u'_iD_ju_i) + \sigma^2
$$

= $\theta'_j\theta_j + 2diag(D_j)'diag(D_j)log(\phi_j + 1)$.

which leads to the residual covariance matrix $\Theta \Theta' + 2\Gamma_j \Gamma_j' + diag(\Phi)$, where Γ_j holds the quadratic coefficients. Since the quadratic coefficients are constrained to be positive, the residual covariance in the latter case is, given the same coefficients on the linear term, equal or more positive than in the linear case.

The residual covariance matrix with adjust = 2 can be obtained by using Poisson-Gamma parametrization

$$
Y_{ij} \sim Poisson(\mu_{ij}\lambda_j),
$$

where $\lambda_i \sim Gamma(1/\phi_i, 1/\phi_i)$ and μ_{ij} is as above. The mean and the variance are of similar form as above and we have that

$$
V(log(\mu_{ij}\lambda_j)) = V(log\mu_{ij}) + V(log\lambda_j) = \theta'_j \theta_j + \psi^{(1)}(1/\phi_j),
$$

where $\psi^{(1)}$ is the trigamma function.

In the case of binomial distribution, the adjustment terms (adjust = 1) are 1 for probit link and $\pi^2/3$ for logit link. These are obtained by treating binomial model as latent variable model. Assume

$$
Y_{ij}^* = \eta_{ij} + e_{ij},
$$

where $e_{ij} \sim N(0, 1)$ for probit model, and $e_{ij} \sim logistic(0, 1)$ for logit model. Then binary response is defined as $Y_{ij} = 1$, if $Y_{ij}^* > 0$ and 0 otherwise. Now we have that $\mu_{ij} = P(Y_{ij} = 1)$ $P(Y_{ij}^* > 0) = P(\eta_{ij} > -e_{ij}) = P(e_{ij} < = \eta_{ij})$ which leads to probit and logit models. On linear predictor scale we then have that

$$
V(\eta_{ij} + e_{ij}) = V(\eta_{ij}) + V(e_{ij}).
$$

For the probit model, the residual covariance matrix is then $\Theta\Theta' + I_m$, and for the logit model $\Theta \Theta' + \pi^2/3I_m$. Similarly as above, for a GLLVM where species are a quadratic function of the latent variables, the term $2\Gamma_j \Gamma'_j$ is added to the residual covariance matrix.

For normal distribution, we can write

$$
Y_{ij} = \eta_{ij} + e_{ij},
$$

where $e_{ij} \sim N(0, \phi_j^2)$ and thus we have that

$$
V(\eta_{ij} + e_{ij}) = V(\eta_{ij}) + V(e_{ij}).
$$

For the gaussian model, the residual covariance matrix is then $\Theta\Theta' + diag(\Phi^2)$.

Value

Function returns following components:

Author(s)

Francis K.C. Hui, Jenni Niku, David I. Warton, Bert van der Veen

Examples

```
## Not run:
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
fit \le gllvm(y = y, family = poisson())
```
 20 gllvm

```
# residual covariance:
rescov <- getResidualCov(fit)
rescov$cov
# Trace of the covariance matrix
rescov$trace
# Variance explained per latent variable
rescov$var.q
```
End(Not run)

gllvm *Generalized Linear Latent Variable Models*

Description

Fits generalized linear latent variable model for multivariate data. The model can be fitted using Laplace approximation method or variational approximation method.

Usage

```
gllvm(
 y = NULL,X = NULL,TR = NULL,data = NULL,formula = NULL,family,
  num.lv = NULL,num.lv.c = 0,
  num.RR = 0,
  lv.formula = NULL,
  lvCor = NULL,studyDesign = NULL,
  dist = list(matrix(0)),
  distLV = matrix(0),
  colMat = NULL,
  colMat.rho.struct = "single",
  corWithin = FALSE,
  corWithinLV = FALSE,quadratic = FALSE,
  row.eff = FALSE,sd.errors = TRUE,
  offset = NULL,method = "VA",randomB = FALSE,randomX = NULL,beta0com = FALSE,
  zeta.struc = "species",
```


```
plot = FALSE,
link = "probit",
Ntrials = 1,
Power = 1.1,
seed = NULL,
scale.X = TRUE,return.terms = TRUE,
gradient.check = FALSE,
disp.formula = NULL,
control = list(reltol = 1e-08, reltol.c = 1e-08, TMB = TRUE, optimizer = ifelse((num.RR
 + num.lv.c) == 0 | randomB != FALSE, "optim", "alabama"), max.iter = 6000, maxit =
  6000, trace = FALSE, optim.method = NULL, nn.colMat = 10),
control.va = list(Lambda.struc = "unstructured", Ab.struct = ifelse(is.null(colMat),
 "blockdiagonal", "MNunstructured"), Ab.struct.rank = 1, Ar.struc = "diagonal",
  diag.iter = 1, Ab.diag.iter = 0, Lambda.start = c(0.3, 0.3, 0.3), NN = 3),
control.start = list(starting.val = "res", n.init = 1, n.init.max = 10, jitter.var = 0,
  jitter.var.br = 0, start.fit = NULL, start.lvs = NULL, randomX.start = "res",
 quad.start = 0.01, start.struc = "LV", scalmax = 10, MaternKappa = 1.5, rangeP =
  NULL, zetacutoff = NULL),
setMap = NULL,...
```
Arguments

 \mathcal{L}

Lambda.start: starting values for variances in VA distributions for latent variables, random row effects and random slopes in variational approximation method. Defaults to 0.3.

NN: Number of nearest neighbors for NN variational covariance. Defaults to ...

control.start A list with the following arguments controlling the starting values:

- *starting.val*: starting values can be generated by fitting model without latent variables, and applying factorial analysis to residuals to get starting values for latent variables and their coefficients (starting.val = "res"). Another options are to use zeros as a starting values (starting.val = "zero") or initialize starting values for latent variables with (n x num.lv) matrix. Defaults to "res", which is recommended.
- *n.init*: number of initial runs. Uses multiple runs and picks up the one giving highest log-likelihood value. Defaults to 1.
- *n.init.max*: maximum number of refits try try for n.init without improvement, defaults to 10.
- *start.fit*: object of class 'gllvm' which can be given as starting parameters for count data (poisson, NB, or ZIP).
- *start.lvs*: initialize starting values for latent variables with (n x num.lv) matrix. Defaults to NULL.
- *jitter.var*: jitter variance for starting values of latent variables. Defaults to 0, meaning no jittering.
- *jitter.var.br*: jitter variance for starting values of random slopes. Defaults to 0, meaning no jittering.
- *randomX.start*: starting value method for the random slopes. Options are "zero" and "res". Defaults to "res".
- *start.struc*: starting value method for the quadratic term. Options are "LV" (default) and "all".
- *quad.start*: starting values for quadratic coefficients. Defaults to 0.01.
- *MaternKappa*: Starting value for smoothness parameter kappa of Matern covariance function. Defaults to 3/2.
- *scalmax*: Sets starting value for the scale parameter for the coordinates. Defaults to 10, when the starting value for scale parameter scales the distances of coordinates between 0-10.
- *rangeP*: Sets starting value for the range parameter for the correlation structure.
- *zetacutoff*: Either vector of length 2 or a matrix of dimension (a number of species x 2). Sets starting value for the cutoff parameters of the ordered beta model.
- setMap under development, not properly tested, except for ordinal beta cutoffs (zeta) and for rho_lvc. a list of a set of parameters to be fixed. Parameters to be fixed need to be defined with factors. Other arguments may overwrite these definitions.

... Not used.

Details

Fits generalized linear latent variable models as in Hui et al. (2015 and 2017) and Niku et al. (2017). Method can be used with two types of latent variable models depending on covariates. If only site related environmental covariates are used, the expectation of response Y_{ij} is determined by

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$$
g(\mu_{ij}) = \eta_{ij} = \alpha_i + \beta_{0j} + x_i'\beta_j + u_i'\theta_j,
$$

where $g(.)$ is a known link function, u_i are d-variate latent variables $(d \ll m)$, α_i is an optional community level row effect at site i , and it can be fixed or random effect (also other structures are possible, see below), β_{0j} is an intercept term for species j, β_j and θ_j are column specific coefficients related to covariates and the latent variables, respectively.

Quadratic model: Alternatively, a more complex version of the model can be fitted with quadratic = TRUE, where species are modeled as a quadratic function of the latent variables:

$$
g(\mu_{ij}) = \eta_{ij} = \alpha_i + \beta_{0j} + x_i'\beta_j + u_i'\theta_j - u_i'D_ju_i
$$

. Here, D_j is a diagonal matrix of positive only quadratic coefficients, so that the model generates concave shapes only. This implementation follows the ecological theoretical model where species are generally recognized to exhibit non-linear response curves. For a model with quadratic responses, quadratic coefficients are assumed to be the same for all species:

$$
D_j = D
$$

. This model requires less information per species and can be expected to be more applicable to most datasets. The quadratic coefficients D can be used to calculate the length of ecological gradients. For quadratic responses, it can be useful to provide the latent variables estimated with a GLLVM with linear responses, or estimated with (Detrended) Correspondence Analysis. The latent variables can then be passed to the start.lvs argument inside the control.start list, which in many cases gives good results.

Ordination with predictors: For GLLVMs with both linear and quadratic response model, a series of predictors x_{lv} can be included to explain the latent variables:

$$
g(\mu_{ij}) = \alpha_i + \beta_{0j} + x_i'\beta_j + (B'x_{lv,i} + \epsilon_i)'\gamma_j - (B'x_{lv,i} + \epsilon_i)'D_j(B'x_{lv,i} + \epsilon_i),
$$

where $z_i = B'x_{lv,i} + \epsilon_i$ are latent variables informed by the predictors, but not constrained compared to unconstrained ordination as in methods such as CCA or RDA. Omitting the predictors results in an unconstrained ordination, and omitting ϵ_i in the usual constrained ordination, which can also be fitted.

Fourth corner model: An alternative model is the fourth corner model (Brown et al., 2014, Warton et al., 2015) which will be fitted if also trait covariates are included. The expectation of response Y_{ij} is

$$
g(\mu_{ij}) = \alpha_i + \beta_{0j} + x_i'(\beta_x + b_j) + TR_j'\beta_t + vec(B) * kronecker(TR_j, X_i) + u_i'\theta_j - u_i'D_ju_i
$$

where g(.), u_i , β_{0j} and θ_j are defined as above. Vectors β_x and β_t are the main effects or coefficients related to environmental and trait covariates, respectively, matrix B includes interaction terms. Vectors b_i are optional species-specific random slopes for environmental covariates. The interaction/fourth corner terms are optional as well as are the main effects of trait covariates.

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Structured row effects: In addition to the sample-specific community level random effects, α_i , it is also possible to set arbitrary structure/design for the row effects. That is, assume that observations / rows $i = 1, ..., n$ in the data matrix are from groups $t = 1, ..., T$, so that each row *i* belongs to one of the groups, denote $G(i) \in \{1, ..., T\}$. Each group t has a number of observations n_t , so that $\sum_{t=1}^T n_t = n$. Now we can set random intercept for each group t, (see argument 'row.eff'):

$$
g(\mu_{ij}) = \eta_{ij} = \alpha_{G(i)} + \beta_{0j} + x_i'\beta_j + u_i'\theta_j,
$$

There is also a possibility to set correlation structure for the random intercepts between groups, so that $(\alpha_1, ..., \alpha_T)^\top \sim N(0, \Sigma_r)$. That might be the case, for example, when the groups are spatially or temporally dependent. Another option is to set row specific random intercepts α_i , but to set the correlation structure for the observations within groups, (see argument 'corWithin'). That is, we can set $corr(\alpha_i, \alpha_{i'}) = C(i, i') \neq 0$ according to some correlation function C, when $G(i) = G(i')$. This model is restricted to the case, where each group has equal number of observations (rows), that is $n_t = n_{t'}$ for all $t, t' \in \{1, ..., T\}$.

The correlation structures available in the package are

corAR1 autoregressive process of order 1.

corExp exponentially decaying, see argument 'dist'.

corCS compound symmetry.

Starting values: The method is sensitive for the choices of initial values of the latent variables. Therefore it is recommendable to use multiple runs and pick up the one giving the highest log-likelihood value (see argument 'n.init'). However, sometimes this is computationally too demanding, and default option starting.val = "res" is recommended. For more details on different starting value methods, see Niku et al., (2018).

Models are implemented using TMB (Kristensen et al., 2015) applied to variational approximation (Hui et al., 2017), extended variational approximation (Korhonen et al., 2021) and Laplace approximation (Niku et al., 2017).

With ordinal family response classes must start from 0 or 1.

Distributions:

Mean and variance for distributions are defined as follows.

For count data family = poisson(): Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij}$, or

family = "negative.binomial": Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij} + \mu_{ij}^2 \phi_j$, or

family = "ZIP": Expectation $E[Y_{ij}] = (1-p)\mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij}(1-p_j)(1+\mu_{ij}p)$. family = "ZINB": Expectation $E[Y_{ij}] = (1-p)\mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij}(1-p_j)(1+\mu_{ij}(\phi_j +$ p_j).

For binary data family = binomial(): Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij} (1 \mu_{ii}$).

For percent cover data $0 < Y_{ij} < 1$ family = "beta": Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij})$ = $\mu_{ii} (1 - \mu_{ii}) / / (1 + \phi_i).$

For positive continuous data family = "gamma": Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij})$ = μ_{ij}^2/ϕ_j , where ϕ_j is species specific shape parameter.

- For non-negative continuous data family = "exponential": Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij}) = \mu_{ij}^2$.
- For non-negative continuous or biomass data family = "tweedie" Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(\mu_{ij}) = \phi_j * \mu_{ij}^{\nu}$, where ν is a power parameter of Tweedie distribution. See details Dunn and Smyth (2005).

For ordinal data family = "ordinal": Cumulative probit model, see Hui et.al. (2016).

For normal distributed data family = gaussian(): Expectation $E[Y_{ij}] = \mu_{ij}$, variance $V(y_{ij}) =$ ϕ_j^2 .

Value

An object of class "gllvm" includes the following components:

Xcoef coefficients related to environmental covariates X

B coefficients in fourth corner model, and RE means

latent variables, i.e. canonical coefficients

Br column random effects

beta0 column specific intercepts

sigmaB scale parameters for column-specific random effects

rho.sp (positive) correlation parameter for influence strength of "colMat"

row.params.random row-specific random effects

row.params.fixed row-specific fixed effects

sigma scale parameters for row-specific random effects

phi dispersion parameters ϕ for negative binomial or Tweedie family, probability of zero inflation for ZIP family, standard deviation for gaussian family or shape parameter for gamma/beta family

inv.phi dispersion parameters $1/\phi$ for negative binomial

Power power parameter ν for Tweedie family

sd list of standard errors of parameters

prediction.errors

list of prediction covariances for latent variables and variances for random row effects when method "LA" is used

A, Ar, Ab_lv, spArs

Ab.struct variational covariance structure of fitted model

Ab.struct.rank fitted rank of variational covariance matrix

col.eff flag indicating if column random effects are included

spdr design matrix

colMat.rho.struct character vector for signal parameter

Note

If function gives warning: 'In f(x, order = 0) : value out of range in 'lgamma'', optimizer have visited an area where gradients become too big. It is automatically fixed by trying another step in the optimization process, and can be ignored if errors do not occur.

Author(s)

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References

Brown, A. M., Warton, D. I., Andrew, N. R., Binns, M., Cassis, G., and Gibb, H. (2014). The fourth-corner solution - using predictive models to understand how species traits interact with the environment. Methods in Ecology and Evolution, 5:344-352.

Dunn, P. K. and Smyth, G. K. (2005). Series evaluation of tweedie exponential dispersion model densities. Statistics and Computing, 15:267-280.

Hui, F. K. C., Taskinen, S., Pledger, S., Foster, S. D., and Warton, D. I. (2015). Model-based approaches to unconstrained ordination. Methods in Ecology and Evolution, 6:399-411.

Hui, F. K. C., Warton, D., Ormerod, J., Haapaniemi, V., and Taskinen, S. (2017). Variational approximations for generalized linear latent variable models. Journal of Computational and Graphical Statistics. Journal of Computational and Graphical Statistics, 26:35-43.

Kasper Kristensen, Anders Nielsen, Casper W. Berg, Hans Skaug, Bradley M. Bell (2016). TMB: Automatic Differentiation and Laplace Approximation. Journal of Statistical Software, 70(5), 1-21.

Korhonen, P., Hui, F. K. C., Niku, J., and Taskinen, S. (2021). Fast, universal estimation of latent variable models using extended variational approximations. Stat Comput 33, 26 (2023).

Niku, J., Warton, D. I., Hui, F. K. C., and Taskinen, S. (2017). Generalized linear latent variable models for multivariate count and biomass data in ecology. Journal of Agricultural, Biological, and Environmental Statistics, 22:498-522.

Niku, J., Brooks, W., Herliansyah, R., Hui, F. K. C., Taskinen, S., and Warton, D. I. (2018). Efficient estimation of generalized linear latent variable models. PLoS One, 14(5):1-20.

Warton, D. I., Guillaume Blanchet, F., O'Hara, R. B., Ovaskainen, O., Taskinen, S., Walker, S. C. and Hui, F. K. C. (2015). So many variables: Joint modeling in community ecology. Trends in Ecology & Evolution, 30:766-779.

See Also

[coefplot.gllvm](#page-5-1), [confint.gllvm](#page-6-1), [ordiplot.gllvm](#page-35-1), [plot.gllvm](#page-41-1), [summary.gllvm](#page-51-1).

Examples

```
# Extract subset of the microbial data to be used as an example
data(microbialdata)
X <- microbialdata$Xenv
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]fit \le gllvm(y, X, formula = \sim pH + Phosp, family = poisson())
```
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```
fit$logL
ordiplot(fit)
coefplot(fit)
# Inclusion of structured random row effect
sDesign<-data.frame(Site = microbialdata$Xenv$Site)
fit \le gllvm(y, X, formula = \sim pH + Phosp, family = poisson(),
            studyDesign=sDesign, row.eff=~(1|Site))
## Load a dataset from the mvabund package
library(mvabund)
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- as.matrix(antTraits$env)
TR <- antTraits$traits
# Fit model with environmental covariates Bare.ground and Shrub.cover
fit \le gllvm(y, X, formula = \sim Bare.ground + Shrub.cover,
            family = poisson())
ordiplot(fit)
coefplot.gllvm(fit)
## Example 1: Fit model with two unconstrained latent variables
# Using variational approximation:
fitv0 <- gllvm(y, family = "negative.binomial", method = "VA")
ordiplot(fitv0)
plot(fitv0, mfrow = c(2,2))summary(fitv0)
confint(fitv0)
## Example 1a: Fit concurrent ordination model with two latent variables and with
# quadratic response model
# We scale and centre the predictors to improve convergence
fity1 <- gllvm(y, X = scale(X), family = "negative.binomial",num.lv.c=2, method="VA")
ordiplot(fity1, biplot = TRUE)
#'## Example 1b: Fit constrained ordination model with two latent variables and with
# random canonical coefficients
fity2 <- gllvm(y, X = scale(X), family = "negative.binomial",
              num.RR=2, randomB="LV", method="VA")
# Using Laplace approximation: (this line may take about 30 sec to run)
fitl0 <- gllvm(y, family = "negative.binomial", method = "LA")
ordiplot(fitl0)
# Poisson family:
fit.p \le gllvm(y, family = poisson(), method = "LA")
ordiplot(fit.p)
# Use poisson model as a starting parameters for ZIP-model, this line
# may take few minutes to run
fit.z <- gllvm(y, family = "ZIP", method = "LA",
              control.start = list(start.fit = fit.p)
```

```
ordiplot(fit.z)
```

```
## Example 2: gllvm with environmental variables
# Fit model with two latent variables and all environmental covariates,
fitvX <- gllvm(formula = y \sim X, family = "negative.binomial")
ordiplot(fitvX, biplot = TRUE)
coefplot.gllvm(fitvX)
# Fit model with environmental covariates Bare.ground and Shrub.cover
fitvX2 <- gllvm(y, X, formula = ~Bare.ground + Shrub.cover,family = "negative.binomial")
ordiplot(fitvX2)
coefplot.gllvm(fitvX2)
# Use 5 initial runs and pick the best one
fitvX_5 <- gllvm(y, X, formula = ~Bare.ground + Shrub.cover,family = "negative.binomial", control.start=list(n.init = 5, jitter.var = 0.1))
ordiplot(fitvX_5)
coefplot.gllvm(fitvX_5)
## Example 3: Data in long format
# Reshape data to long format:
datalong \leq reshape(data.frame(cbind(y,X)), direction = "long",
                   varying = \text{colnames}(y), v.names = "y")
head(datalong)
fitvLong \leq gllvm(data = datalong, formula = y \sim Bare.ground + Shrub.cover,
               family = "negative.binomial")
## Example 4: Fourth corner model
# Fit fourth corner model with two latent variables
fitF1 <- gllvm(y = y, X = X, TR = TR, family = "negative.binomial")coefplot.gllvm(fitF1)
# Fourth corner can be plotted also with next lines
#fourth = fitF1$fourth.corner
#library(lattice)
#a = max( abs(fourth) )
#colort = colorRampPalette(c("blue","white","red"))
#plot.4th = levelplot(t(as.matrix(fourth)), xlab = "Environmental Variables",
# ylab = "Species traits", col.regions = colort(100),
# at = seq( -a, a, length = 100), scales = list( x = list(rot = 45)))
#print(plot.4th)
# Specify model using formula
fitF2 <- gllvm(y = y, X = X, TR = TR,formula = \sim Bare.ground + Canopy.cover * (Pilosity + Webers.length),
family = "negative.binomial")
ordiplot(fitF2)
coefplot.gllvm(fitF2)
## Include species specific random slopes to the fourth corner model
fitF3 \le gllvm(y = y, X = X, TR = TR,
formula = \sim Bare.ground + Canopy.cover * (Pilosity + Webers.length),
 family = "negative.binomial", randomX = \sim Bare.ground + Canopy.cover,
 control.start = list(n.int = 3))
```
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```
ordiplot(fitF3)
coefplot.gllvm(fitF3)
## Example 5: Fit Tweedie model
# Load coral data
data(tikus)
ycoral <- tikus$abund
# Let's consider only years 1981 and 1983
ycoral <- ycoral[((tikus$x$time == 81) + (tikus$x$time == 83)) > 0, ]
# Exclude species which have observed at less than 4 sites
ycoral <- ycoral[-17, (colSums(ycoral > 0) > 4)]
# Fit Tweedie model for coral data (this line may take few minutes to run)
fit.twe <- gllvm(y = ycoral, family = "tweedie", method = "EVA", seed=111)
fit.twe
## Example 6: Random row effects
fitRand <- gllvm(y, family = "negative.binomial", row.eff = "random")
ordiplot(fitRand, biplot = TRUE)
```
kelpforest *Kelp Forest community Dynamics: Cover of sessile organisms, Uniform Point Contact*

Description

These data describe the cover of sessile invertebrates, understory macroalgae, and bottom substrate types as determined by a uniform point contact method. The presence of over 150 taxa of sessile invertebrates and macroalgae are recorded at 80 uniformly spaced points along permanent 40m x 2m transects. Multiple species can be recorded at any given point. Percent cover of a given species on a transect can be estimated from UPC observations as the fraction of total points at which that species was present x 100. The total percent cover of all species combined using this method can exceed 100%; however, the percent cover of any single species cannot exceed 100%. This specific version of the data includes 61 species of macroalgae, 69 species of sessile invertebrates, and two species of plants.

Usage

```
data(kelpforest)
```
Format

- Y A data frame with the percent cover records of 132 sessile invertebrates and understory macroalgae measured at 836 permanent transects.
- X A data frame of study design variables and predictors.

SITE Kelp forest site YEAR Sampling year

TRANSECT Permanent transect identifying number (unique within site), nested within sites KELP_FRONDS A number of stipes of giant kelp

PERCENT_ROCKY percent rock coverage

SPinfo A data frame of the species information including species names, group and taxonomy.

SP_CODE Species codes corresponding species names in abundance matrix

GROUP Species group; algae, invertebrate or plant

COMMON_NAME, SCIENTIFIC_NAME Species' common and scientific names

TAXON_KINGDOM,TAXON_PHYLUM,TAXON_CLASS,TAXON_ORDER,TAXON_FAMILY, TAXON_GE Species taxonomic information

Details

These data are part of SBC LTERs kelp forest monitoring program, which began in 2000 and was designed to track long-term patterns in species abundance and diversity of reef-associated organisms in the Santa Barbara Channel, California, USA. The sampling locations in this dataset include nine reef sites along the mainland coast of the Santa Barbara Channel and at two sites on the north side of Santa Cruz Island. These sites reflect several oceanographic regimes in the channel and vary in distance from sources of terrestrial runoff. Data collection began in 2000 and this dataset is updated annually.

The time period of data collection varied among the 11 kelp forest sites. Sampling at BULL, CARP, and NAPL began in 2000, sampling at the other 6 mainland sites (AHND, AQUE, IVEE, GOLB, ABUR, MOHK) began in 2001 (transects 3, 5, 6, 7, 8 at IVEE were added in 2011). Data collection at the two Santa Cruz Island sites (SCTW and SCDI) began in 2004.

Detailed description of the data available in the reference and the website https://sbclter.msi.ucsb.edu/data/catalog/package/?p lter-sbc.15

References

Reed, D, R. Miller. 2023. SBC LTER: Reef: Kelp Forest Community Dynamics: Cover of sessile organisms, Uniform Point Contact ver 33. Environmental Data Initiative. https://doi.org/10.6073/pasta/0af1a5b0d9dde5b4e5 (Accessed: 2023-12-01).

Examples

```
## Not run:
data(kelpforest)
Y <- kelpforest$Y
X <- kelpforest$X
SPinfo <- kelpforest$SPinfo
```
End(Not run)

Description

Extracts Log-likelihood from 'gllvm' objects.

Usage

S3 method for class 'gllvm' logLik(object, ...)

Arguments

Author(s)

David I. Warton, Jenni Niku

Examples

```
## Not run:
## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
fit \le gllvm(y = y, family = poisson())
# log-Likelihood:
logLik(fit)
```
End(Not run)

microbialdata *Microbial community data*

Description

Microbial community data consist of abundances of 985 bacteria species measured at 56 soil sample sites from three regions, Kilpisjarvi (Finland), Ny-Alesund (Norway), and Mayrhofen (Austria). In addition to bacteria counts, three continuous environmental variables (pH, available phosphorous and soil organic matter) were measured from each soil sample.

Usage

```
data(microbialdata)
```
Format

- Y A data frame with abundances of 985 bacteria species measured at 56 soil sample sites
- X Environmental variables SOM: soil organic matter, pH: soil pH value and Phosp: available phosphorus and information from the samples, including Region: sampling region (Kilpisjarvi (Finland), Ny-Alesund (Norway), and Mayrhofen (Austria).), Site: sampling site and Soiltype: soil sample type (top soil (T) or bottom soil (B))

References

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Niku, J., Warton, D. I., Hui, F. K. C., and Taskinen, S. (2017). Generalized linear latent variable models for multivariate count and biomass data in ecology. Journal of Agricultural, Biological, and Environmental Statistics, 22:498-522.

ordiplot.gllvm *Plot latent variables from gllvm model*

Description

Plots latent variables and their corresponding coefficients (biplot).

Usage

```
## S3 method for class 'gllvm'
ordiplot(
  object,
 biplot = FALSE,
  ind.\,spp = NULL,alpha = 0.5,
  main = NULL,
 which.lvs = c(1, 2),
  predict.region = FALSE,
  level = 0.95,
  jitter = FALSE,
  jitter.annotation = 0.2,s.close = 1,
  s.cex = 1.2,
  symbols = FALSE,
  cex.\,spp = 0.7,
  spp.colors = "blue",
  arrow.sizeale = 0.8,
  arrow.\,spp.scale = 0.8,arrow.ci = TRUE,arrow.lty = "solid",
```
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```
fac.center = FALSE,
 spp.arrows = NULL,
 spp.arrows.lty = "dashed",
 cex.env = 0.7,
 lab.dist = 0.1,
 lwd.ellips = 0.5,
 col.ellips = 4,
 lty.ellips = 1,
 type = NULL,
 rotate = TRUE,
  ...
\mathcal{L}
```
Arguments

Details

Function constructs a scatter plot of two latent variables, i.e. an ordination plot. Latent variables are re-rotated to their principal direction using singular value decomposition, so that the first plotted latent variable does not have to be the first latent variable in the model. If only one latent variable is in the fitted model, latent variables are plotted against their corresponding row indices. The latent variables are labeled using the row index of the response matrix y.

Coefficients related to latent variables are plotted in the same figure with the latent variables if biplot = TRUE. They are labeled using the column names of y. The number of latent variable coefficients to be plotted can be controlled by ind.spp. An argument alpha is used to control the relative scaling of the latent variables and their coefficients. If alpha = 0.5, the latent variables and their coefficients are on the same scale. For details for constructing a biplot, see Gabriel (1971).

For a quadratic response model, species optima are plotted. Any species scores that are outside the range of the predicted site scores are not directly plotted, but their main direction is indicated with arrows instead. This ensures that the plot remains on a reasonable scale.

Effects of environmental variables in constrained ordination are indicated with arrows. If any of the arrows exceeds the range of the plot, arrows are scaled to 80 but so that the relative contribution of predictors is maintained. If standard errors are available in the provided model, the slopes of environmental variables for which the 95 are slightly less intensely coloured.

For constrained ordination, a conditional plot includes both fixed- and random-effects to optimally represent species co-occurrence patterns, corresponding to "conditional" site scores in [getLV.gllvm](#page-13-1). Marginal corresponds to an ordination plot that excludes residual patterns (i.e. excluding the random-effect), so that it is only available with num.lv.c>0 or num.RR>0. A conditional plot requires num.lv.c>0. The "residual" type corresponds to an ordination diagram of only residual patterns. See [getLV.gllvm](#page-13-1) for details.

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Note

- If error is occurred when using ordiplot(), try full name of the function ordiplot.gllvm() as functions named 'ordiplot' might be found in other packages as well.

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>, Francis K.C. Hui, Bert van der Veen

References

Gabriel, K. R. (1971). The biplot graphic display of matrices with application to principal component analysis. Biometrika, 58, 453-467.

See Also

[getLV.gllvm](#page-13-1).

Examples

```
#'# Extract subset of the microbial data to be used as an example
data(microbialdata)
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]
fit <- gllvm(y, family = poisson())
fit$logL
ordiplot(fit, predict.region = TRUE)
## Not run:
#'## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
fit <- gllvm(y, family = poisson())
# Ordination plot:
ordiplot(fit)
# Biplot with 10 species
ordiplot(fit, biplot = TRUE, ind.spp = 10)
## End(Not run)
```
phyloplot.gllvm *Plot phylogenetic random effects from gllvm*

Description

Plots phylogenetic random effects with the phylogeny, and community effects

Usage

```
## S3 method for class 'gllvm'
phyloplot(
  object,
  tree,
  comm.eff = TRUE,
  row.eff = FALSE,
  which.Xcoef = NULL,
  xlim = NULL,level = 0.95,col = c("#E69F00", "white", "#009E73"),
  col.sym = TRUE,
  mar.\,spec = c(3, 2, 0, 0),mar.php = c(0, 2, 2, 0),mar.comm = c(3, 0.5, 2, 1.5),cex = 0.6,
  1wd = 1,
  col.edge = "black",
  pch = \overline{''}x'',
  heights = c(0.55, 0.35),
  widths = c(0.64, 0.1),phy.place = "top",
  ...
\mathcal{L}
```
Arguments

Details

Plots phylogenetically structured random effects together with the phylogeny, and with communitylevel effects (i.e., effects that are the same across species). If standard errors have been calculated for the model, the prediction intervals for species random effects are checked, and crossed out (i.e., displayed as white) if they cross zero.

Author(s)

Bert van der Veen

References

van der Veen, B., O'Hara, R.B. (2024). Fast fitting of Fast fitting of phylogenetic mixed effects models. arXiv.

Examples

```
## Not run:
# Load dataset
data(fungi)
Y <- fungi$Y
# Scale the predictor
X < - fungi$X
X[,"DBH.CM"] <- scale(X[, "DBH.CM"])
tree <- fungi$tree # the tree
colMat <- fungi$C # e.g., from ape::vcv(tree)
dist <- fungi$dist # e.g., from ape::cophenetic.phylo(tree)
order <- gllvm:::findOrder(covMat = colMat, distMat = dist, nn = 15,
                           order = order(dist[1:length(tree$tip.label), nrow(dist)],
                           decreasing = TRUE))$order
order <- tree$tip.label[order]
model \leq gllvm(y = Y[,order], X = X,
                formula = \sim(DBH.CM|1), beta0com = TRUE,
```

```
family = "binomial", num.lv = \theta, nn.colMat = 15,
                colMat = list(colMat[order,order], dist = dist[order,order]),
                colMat.rho.struct = "term")
phyloplot(model, tree)
## End(Not run)
```


plot.gllvm *Plot Diagnostics for an gllvm Object*

Description

Five plots (selectable by which) are currently available: a plot of residuals against linear predictors of fitted values, a Normal Q-Q plot of residuals with a simulated point-wise 95% confidence interval envelope, residuals against row index and column index and scale location plot.

Usage

```
## S3 method for class 'gllvm'
plot(
  x,
 which = 1:5,
 caption = c("Residuals vs linear predictors", "Normal Q-Q", "Residuals vs row",
    "Residuals vs column", "Scale-Location"),
  var.colors = NULL,
  add.smooth = TRUE,
  envelopes = TRUE,
  reps = 150,
  envelope.col = c("blue", "lightblue"),
  n.plot = NULL,...
\mathcal{L}
```
Arguments

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Details

plot.gllvm is used for model diagnostics. Dunn-Smyth residuals (randomized quantile residuals) (Dunn and Smyth, 1996) are used in plots. Colors indicate different species.

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>

References

Dunn, P. K., and Smyth, G. K. (1996). Randomized quantile residuals. Journal of Computational and Graphical Statistics, 5, 236-244.

Hui, F. K. C., Taskinen, S., Pledger, S., Foster, S. D., and Warton, D. I. (2015). Model-based approaches to unconstrained ordination. Methods in Ecology and Evolution, 6:399-411.

See Also

[gllvm](#page-19-1), [residuals.gllvm](#page-47-1)

Examples

```
## Not run:
# Fit gllvm model with Poisson family
data(microbialdata)
X <- microbialdata$Xenv
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]
fit \leq gllvm(y, X, formula = \sim pH + Phosp, family = poisson())
# Plot residuals
plot(fit, mfrow = c(3,2))
```
End(Not run)

Description

Obtains predictions from a fitted generalized linear latent variable model object.

Usage

```
## S3 method for class 'gllvm'
predict(
 object,
 newX = NULL,newTR = NULL,newLV = NULL,type = "link",
 level = 1,
 offset = TRUE,
  ...
)
```
Arguments

predict.gllvm 45

Details

If newX, newTR and newLV are omitted the predictions are based on the data used for fitting the model. Notice that newTR need to match with the number of species in the original data. Instead, new sites can be specified in newX. If predictors newX (and newTR) are given, and newLV is not, latent variables are not used in the predictions.

Value

A matrix containing requested predictor types.

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>, David Warton

Examples

```
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- scale(antTraits$env[, 1:3])
# Fit gllvm model
fit \le gllvm(y = y, X, family = poisson())
# fitted values
predfit <- predict(fit, type = "response")
# linear predictors
predlin <- predict(fit)
# Predict new sites:
# Generate matrix of environmental variables for 10 new sites
xnew <- cbind(rnorm(10), rnorm(10), rnorm(10))
colnames(xnew) <- colnames(X)
predfit <- predict(fit, newX = xnew, type = "response", level = 0)
TR <- (antTraits$tr[, 1:3])
fitt \leq gllvm(y = y, X, TR, family = poisson())
# linear predictors
predlin <- predict(fitt)
# Predict new sites:
# Generate matrix of environmental variables for 10 new sites
xnew <- cbind(rnorm(10), rnorm(10), rnorm(10))
colnames(xnew) <- colnames(X)
# Generate matrix of traits for species
trnew \leq data.frame(Femur.length = rnorm(41), No.spines = rnorm(41),
Pilosity = factor(sample(0:3, 41, replace = TRUE)))
predfit <- predict(fitt, newX = xnew, newTR = trnew, type = "response", level = 0)
```
predictLVs.gllvm *Predict latent variables for gllvm Fits*

Description

Obtains predictions for latent variables from a fitted generalized linear latent variable model object. Currently works only for the variational approximation method.

Usage

```
## S3 method for class 'gllvm'
predictLVs(object, newX = NULL, newY = object$y, ...)
```
Arguments

Details

Obtains predictions for latent variables from a fitted generalized linear latent variable model object.

Value

A matrix containing requested predictor types.

Author(s)

David Warton, Jenni Niku <jenni.m.e.niku@jyu.fi>

Examples

```
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- scale(antTraits$env[, 1:3])
# Fit gllvm model
fit \le gllvm(y = y, X, family = poisson())
# fitted values
predLVs <- predictLVs.gllvm(fit)
```
randomCoefplot.gllvm *Plot random slope coefficients*

Description

Plots random slopes and their prediction intervals.

Usage

```
## S3 method for class 'gllvm'
randomCoefplot(
 object,
 y.label = TRUE,
 which.Xcoef = NULL,
 cex.ylab = 0.5,
 mfrow = NULL,
 mar = c(4, 6, 2, 1),xlim.list = NULL,
 order = FALSE,
  ...
)
```
Arguments

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>, Francis K.C. Hui, Bert van der Veen, Sara Taskinen,

Examples

```
## Not run:
## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- as.matrix(antTraits$env)
TR <- antTraits$traits
# Fit model with random slopes
fitF \le gllvm(y = y, X = X, TR = TR,
 formula = \sim Bare.ground + Bare.ground : Webers.length,
 family = poisson(), randomX = \sim Bare.ground)
randomCoefplot(fitF)
```
End(Not run)

residuals.gllvm *Dunn-Smyth residuals for gllvm model*

Description

Calculates Dunn-Smyth residuals for gllvm model.

Usage

S3 method for class 'gllvm' residuals(object, ...)

Arguments

Details

Computes Dunn-Smyth residuals (randomized quantile residuals, Dunn and Smyth, 1996) for gllvm model. For the observation Y_{ij} Dunn-Smyth residuals are defined as

$$
r_{ij} = \Phi^{-1}(u_{ij}F_{ij}(y_{ij}) + (1 - u_{ij})F_{ij}^{-}(y_{ij})),
$$

where $\Phi(.)$ and $F_{ij}(.)$ are the cumulative probability functions of the standard normal distribution, $F_{ij}^{-}(y)$) is the limit as $F_{ij}(y)$ is approached from the negative side, and u_{ij} has been generated at random from the standard uniform distribution.

Value

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Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>

References

Dunn, P. K., and Smyth, G. K. (1996). Randomized quantile residuals. Journal of Computational and Graphical Statistics, 5, 236-244.

Hui, F. K. C., Taskinen, S., Pledger, S., Foster, S. D., and Warton, D. I. (2015). Model-based approaches to unconstrained ordination. Methods in Ecology and Evolution, 6:399-411.

Examples

```
## Not run:
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
fit <- gllvm(y = y, family = poisson())
# residuals
res <- residuals(fit)
```
End(Not run)

se.gllvm *Standard errors for gllvm model*

Description

Calculates Hessian and standard errors for gllvm model.

Usage

```
## S3 method for class 'gllvm'
se(object, ...)
```
Arguments

Details

Computes Hessian and standard errors for gllvm model.

Value

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>

References

Dunn, P. K., and Smyth, G. K. (1996). Randomized quantile residuals. Journal of Computational and Graphical Statistics, 5, 236-244.

Hui, F. K. C., Taskinen, S., Pledger, S., Foster, S. D., and Warton, D. I. (2015). Model-based approaches to unconstrained ordination. Methods in Ecology and Evolution, 6:399-411.

Examples

```
data(eSpider)
mod <- gllvm(eSpider$abund, num.lv = 2, family = "poisson", sd.errors = FALSE)
# Calculate standard errors after fitting
sdErr <- se(mod)
# Store the standard errors in the right place
mod$sd <-sdErr$sd
# Store the Hessian in the right place
mod$Hess <- sdErr$Hess
```
simulate.gllvm *Simulate data from gllvm fit*

Description

Generate new data using the fitted values of the parameters

Usage

```
## S3 method for class 'gllvm'
simulate(object, nsim = 1, seed = NULL, conditional = FALSE, ...)
```
Arguments

Details

simulate function for gllvm objects.

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Value

A matrix containing generated data.

Author(s)

David Warton, Jenni Niku <jenni.m.e.niku@jyu.fi>

Examples

```
# Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
X <- scale(antTraits$env[, 1:3])
# Fit gllvm model
fit \le gllvm(y = y, X, family = poisson())
# Simulate data
newdata <- simulate(fit)
```
Skabbholmen *Skabbholmen island data*

Description

Dataset of ordinal observations of plants, on the island Skabbholmen in the Stocholm archipelago. Includes 65 unique sites and 70 species, surveyed in two different years.

Usage

data(Skabbholmen)

Format

Y A data frame with ordinal of 70 plant species measured at 126 plots.

X A matrix of 2 predictor variables at 126 plots.

species A matrix of full species names and abbreviations used in the community data (Y).

Details

Observations of vascular plant cover in 126 one-square-meter plots divided over four transects. The ordinal responses are on a five-degree Hult-Sernander-Du Rietz scale, and were originally recorded by Wolfgang and Cramer (1987) and additionally analyzed by ter Braak (1987). There is a total of 64 unique sites, that were surveyed in two different years (1978 and 1984), but two plots were only surveyed in one year (thus bringing the total number of rows in the data to 126). The plots were located on an elevation gradient, running from the shoreline to the edge of old-growth forest. Elevation to the shoreline was recorded in centimeters during the sampling in 1978.

This dataset was published with permission from the CANOCO FORTRAN package example datasets.

References

ter Braak, C.J.F. and Smilauer, P. (1998). CANOCO reference manual and user's guide to CANOCO for Windows: software for canonical community ordination (version 4). Microcomputer Power, New York, New York, USA.

Jongman, E., & Jongman, S. R. R. (1995). Data analysis in community and landscape ecology. Cambridge university press.

ter Braak, C.J.F. (1987). The analysis of vegetation-environment relationships by canonical correspondence analysis. Vegetatio, 69(1), 69-77.

Cramer, W. & Hytteborn, H. (1987). The separation of fluctuation and long-term change in vegetation dynamics of a rising seashore. Vegetatio, 69, 157–167.

Examples

```
# Uncomment the example
#data(Skabbholmen)
#Y <- Skabbholmen$Y
#X <- Skabbholmen$X
#model \leq gllvm(y = Y, X = X,
# num.RR = 2,
# family = "ordinal",
# zeta.struc="common",
```

```
# row.eff=~(1|transectID))
```
summary.gllvm *Summarizing gllvm model fits*

Description

A summary of the fitted 'gllvm' object, including function call, distribution family and model parameters.

Usage

```
## S3 method for class 'gllvm'
summary(
 object,
 by = "all",digits = max(3L, getOption("digits") - 3L),
  signif.stars = getOption("show.signif.stars"),
  dispersion = FALSE,
  spp.intercepts = FALSE,
  row.intercepts = FALSE,
 Lvcoefs = FALSE,
  rotate = TRUE,type = NULL,
  ...
```
 \mathcal{L}

```
## S3 method for class 'summary.gllvm'
print(x, \ldots)
```

```
## S3 method for class 'summary.gllvm'
plot(x, component = NULL, ...)
```
Arguments

Details

Various options are available to include extra parameter estimates in the summary, which have been excluded by default, for readability.

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>, Bert van der Veen

Examples

```
## Not run:
## Load a dataset from the mvabund package
data(antTraits, package = "mvabund")
y <- as.matrix(antTraits$abund)
# Fit gllvm model
```

```
fit \leq gllvm(y = y, family = poisson())
summary(fit)
## End(Not run)
```
varPartitioning.gllvm *Calculate variance partitioning*

Description

Calculates variance partitioning for gllvm object with function varPartitioning().

Function plotVarPartitioning() (alias plotVP()) plots the results of variance partitioning of a fitted gllvm.

Usage

```
## S3 method for class 'gllvm'
varPartitioning(
 object,
 group = NULL,groupnames = NULL,
  adj.cov = TRUE,grouplvs = FALSE,
  ...
\mathcal{L}plotVarPartitioning(
 VP,
 main = "Variance Partitioning",
 xlab = "Response",
 ylab = "Variance proportion",
 legend.text = NULL,
 args.legend = list(cex = 0.7, x = "topright", bty = "n", inset = c(0, -0.15)),
 mar = c(4, 4, 6, 2),...
\mathcal{L}
```

```
plotVP(VP, ...)
```
Arguments

Details

Variance for the linear predictor for response j can be calculated as

$$
Var(\eta_j) = \sum_{k} \beta_{jk}^2 * var(z_k) + 2 \sum_{(k1=1,\dots,K-1)} \sum_{(k2=k1+1,\dots,K)} \beta_{j(k1)} \beta_{j(k2)} Cov(Z_{.k1}, Z_{.k2}),
$$

where z_k is a vector consisting of predictor/latent variable/row effect etc values for all sampling units i. If z_k s are not correlated, covariance term is 0 and thus the variance explained of a response j for predictor $z_{.k}$ is given as $\beta_{jk}^2 * var(z_{.k})/Var(\eta_j)$.

In case of correlated predictors, it is advised to group them into a same group. The variance explained is calculated for the correlated group of predictors together and adjusted with the covariance term.

Author(s)

Jenni Niku <jenni.m.e.niku@jyu.fi>

Examples

```
# Extract subset of the microbial data to be used as an example
data(microbialdata)
X <- microbialdata$Xenv
y <- microbialdata$Y[, order(colMeans(microbialdata$Y > 0),
                     decreasing = TRUE)[21:40]]
fit \le gllvm(y, X[,1:3], formula = \sim pH + Phosp, family = poisson(),
             studyDesign = X[, 4:5], row.eff = \sim(1|Site))
VP <- varPartitioning(fit)
plotVarPartitioning(VP)
## Not run:
# Plot the result of variance partitioning
plotVP(VP, col = palette(hcl.colors(5, "Roma")))
```
End(Not run)

Description

Returns the variance-covariance matrix of the parameters from a GLLVM. If the variance-covariance matrix was not calculated after model fitting, this function will have to calculate the variancecovariance matrix, which may be computational intensive for a large number of species and/or sites.

Usage

S3 method for class 'gllvm' vcov(object, ...)

Arguments

Details

Calculates the variance-covariance matrix of a GLLVM object using [se.gllvm](#page-48-1), which may be computational intensive with many parameters.The parameters might have unintuitive names. Fixedeffects coefficients are labeled "b", and are ordered per species as: 1) intercepts 2) fixed-effects slopes. Coefficients of the latent variables are labled "lambda" (linear coefficients) or "lambda2".

Author(s)

Bert van der Veen

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